

Unpacking the Black Box: Regulating Algorithmic Decisions

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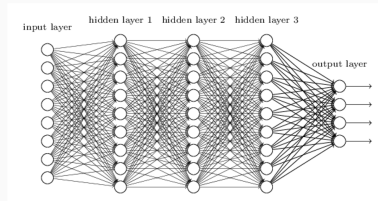
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Motivation

- Reliance on **prediction algorithms** in high-stakes screening decisions
- Incentive conflicts between agents building prediction functions and principals overseeing their use
 - *Medical testing*: Insurance company worries hospital over-predicts risk
 - *Hiring*: Employer worries about fairness of job offers by hiring agency
 - *Lending*: Financial regulator worries about model risk or disparate impact
- Move to automated rules allow for systematic (even ex-ante) review, but is complicated by complexity of algorithms



Brain illustration: Yunus Şahin



Neural network illustration: Michael Nielsen

- **This paper**: How can we effectively mitigate incentive conflicts if black-box algorithms are too complex to be fully described?

- Automated rules allow for systematic scrutiny of screening decisions
- Complexity → face decision how to *restrict* and *explain* them
- How can we effectively mitigate incentive conflicts if black-box algorithms are too complex to be fully described?
 - ☹ Ex-ante restrictions to simple functions inefficient
 - 😐 Use an algorithmic audit based on a simpler representation of the algorithm ('explainer')
 - 😊 Design the audit to target the dimensions affected most by incentive conflict ('targeted explainer')
- Theoretically, make precise and justify explanations of complex ML models in a principal-agent model where explainability is means to an end
- Empirically, demonstrate that results matter for credit underwriting

1. Nascent literature on *incentive conflicts and algorithmic design* (e.g. Rambachan et al. 2020; Gillis and Spiess 2019; Athey et al. 2020).
 - **We apply principal-agent toolbox to (realistic) case where algorithms are too complex to be described**
2. Finance literature on *disclosure and supervision* (Goldstein and Leitner, 2013; Parlato and Phillipon, 2020)
 - **We study disclosure design when available information is limited and compare and contrast audit designs on real-world data**
3. Computer science literature on *algorithmic explainability* (e.g., Lakkaraju and Bastani, 2020; Slack et al., 2020; Lakkaraju et al., 2019)
 - **We derive optimal explainer design from economic theory and apply on real world data**

Regulator–Lender Example



1. *Rule-setting stage*: **Regulator** sets the rules of the game
2. *Training stage*: **Lender** learns relationship

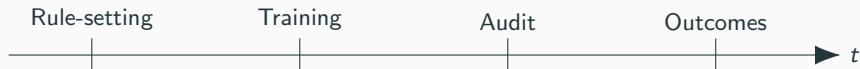
$$s(X) = \alpha + \beta \underbrace{X_1}_{\text{past default}} + \gamma \overbrace{X_2}^{\text{high utilization}} + \delta X_1 \cdot X_2$$

between features X and default, chooses credit score

$$\hat{f}(X) = \alpha + \hat{\beta}X_1 + \hat{\gamma}X_2 + \hat{\delta}X_1 \cdot X_2$$

3. *Audit stage*: **Regulator** performs audit
4. *Outcome stage*: Consequences of deploying \hat{f} and payoffs are realized

Misalignment



Regulator welfare:

$$W(f; d) = \underbrace{\text{prediction fit}}_{-E[(f(X)-s(X))^2]} - \underbrace{\text{penalty for disparate impact}}_{\lambda (E_d[f(X)|G=0] - E_d[f(X)|G=1])^2}$$

Lender utility:

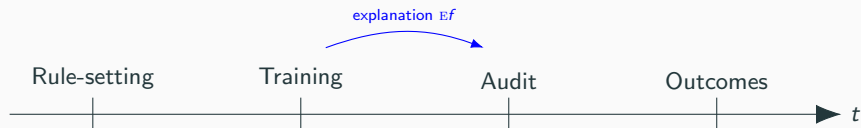
$$U(f; d) = \begin{cases} \underbrace{-E_d[(f(X)-s(X)-\Delta_{\text{overall}}-\Delta_{X_2}X_2)^2]}_{\text{prediction fit} + \text{profit from subprime loans}}, & \text{audit passes} \\ -\infty, & \text{audit fails} \end{cases}$$

Policy Tool: Ex-Ante Function Restriction

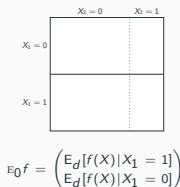
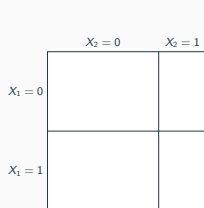


Policy	Alignment	Flexibility/efficiency
No restriction	☹️	😊
Ex-ante restriction	😊	☹️

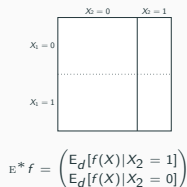
Policy Tool: Restriction on Explanation



- **Information constraint:** Regulator cannot process fully complex $\hat{f}(X) = \hat{\alpha} + \hat{\beta} X_1 + \hat{\gamma} X_2 + \hat{\delta} X_1 \cdot X_2$ (or firm does not reveal)
- **Low-dim explainer:** Can process 2-dim linear projection $E : \mathcal{F} \rightarrow \mathbb{R}^2, f \mapsto Ef$
- **Audit based on explainer:** Decide audit based on simple explanation

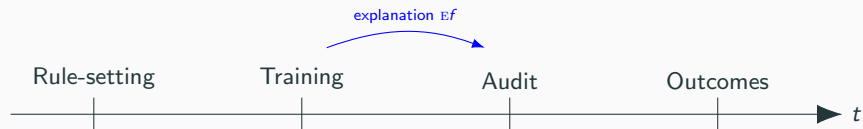


Best prediction explainer: max. overall information $\Rightarrow E_0$: regress on const., X_1



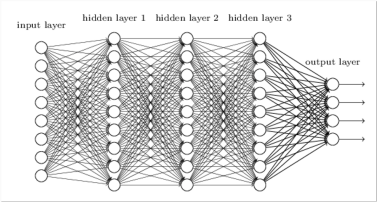
Targeted explainer: inspect misalignment $\Rightarrow E^*$: regress on const., X_2

Policy Tool: Restriction on Explanation



Policy	Alignment	Flexibility/efficiency
No restriction	☹️	😊
Ex-ante restriction	😊	☹️
Prediction explainer	😐	😊
Targeted explainer	😊	😊

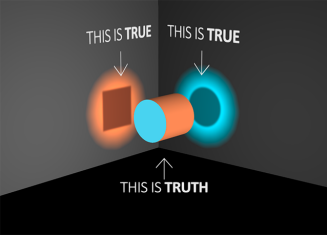
Complex Functions, Simple Explanations



Neural network illustration: Michael Nielsen

	$X_2 = 0$	$X_2 = 1$
$X_1 = 0$		
$X_1 = 1$		

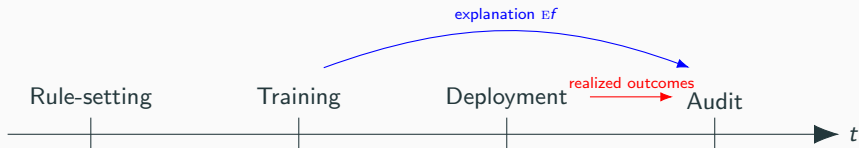
	$X_2 = 0$	$X_2 = 1$
$X_1 = 0$		
$X_1 = 1$		



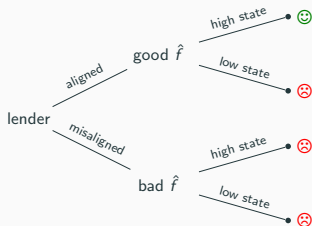
"This is Truth", viral3d.com

	$X_2 = 0$	$X_2 = 1$
$X_1 = 0$		
$X_1 = 1$		

Ex-Post Audits



- So far have assumed that audit uses info from *before* deployment
 - Opportunity to avoid bad outcomes *before* they happen
 - Outcomes may be unobserved or only realized with delay
 - Limited liability or risk aversion may limit effectiveness of ex-post audits
- What is the role of explainer if outcomes are *also* available?



- Enforces conservative choice, inefficient if uncertainty is high
- Regulation should depend on the contribution of lender to outcome
- Optimal regulation can combine both

Taking Theory to the Data

- **Data:** TransUnion credit report data + Infutor semi-annual panel on 50m ppl from 2009–2017 (as in Blattner, Nelson 2020; here: use 50k subsample)
- Build **prediction function for credit card default** with custom loss function to model three cases:

Lender minimizes **prediction loss**

$$\min_f \underbrace{[-E[Y \log \hat{Y} + (1 - Y) \log(1 - \hat{Y})]}_{\text{prediction loss}}$$

Regulator minimizes **pred. loss** plus loss from **social preference**

$$\min_f \text{pred. loss} + \lambda \underbrace{(E[\text{logit}(\hat{Y})|M=1] - E[\text{logit}(\hat{Y})|M=0])^2}_{\text{social preference}}$$

Lender subject to **audit constraint**

$$\min_f \text{pred. loss} + \underbrace{\varphi N_{J, \beta^*}_{\text{regulator}}(\hat{f})}_{\text{audit constraint}}$$

- **Implementation:** Neural net w/ 2 hidden layers 40 neurons on 50 covariates; stochastic gradient descent with Adam in TensorFlow

Neural network generates predictions $\hat{f}(X)$

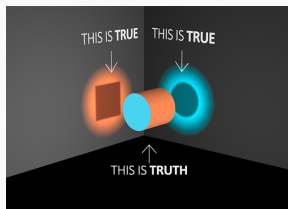
- **Best prediction explainer:** J from LASSO logit on credit card default (Y)

$$\hat{f}(X_i) = \beta_0 + \beta_1 \# \text{ trades delinquent} \\ + \beta_2 \text{ agg. credit line} + \dots + \beta_{10} \# \text{ bankruptcies} + \epsilon_i$$

- **Targeted explainer:** J from LASSO logit on group status (G)

$$\hat{f}(X_i) = \beta_0 + \beta_1 \# \text{ trades delinquent} \\ + \beta_2 \# \text{ unpaid collections} + \dots + \beta_{10} \# \text{ collections} + \epsilon_i$$

- **Audit constraint:** $\hat{\beta}_J = \beta^*$



"This is Truth", viral3d.com

Results: Disparate Impact

1. Complex model improves predictive performance relative to simple model;
2. Neural net allows for larger preference misalignment than (simpler) logit;
3. Targeted explainer better than prediction explainer at aligning incentives.

	AUC	Log loss	Δ log odds (disparate impact)
<i>Neural network (two hidden layers) on 50 covariates</i>			
Lender	0.842	0.327	0.935
Regulator (wants small Δ log odds)	0.834	0.337	0.450
Lender w/ prediction explainer	0.834	0.343	0.535
Lender w/ targeted explainer	0.828	0.351	0.457
<i>Logistic regression on 20 covariates</i>			
Lender	0.797	0.360	0.517
Regulator (wants small Δ log odds)	0.795	0.361	0.331
Prediction explainer	0.797	0.359	0.336
Targeted explainer	0.795	0.362	0.332

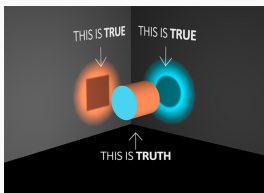
Conclusion

Opportunity and challenge: Move to automated rules allows for systematic scrutiny, but complexity means we face decision how to *restrict* and *explain* them

Broader context: Explainability, interpretability and transparency central to machine learning implementation, but often lack clear definition and motivation

This paper: How to regulate black-box algorithms that are too complex to be described completely? Answer from principal-agent model: targeted explainers!

Related Agenda: Evaluate explainer tools for financial regulation (with FinRegLab)



"This is Truth", viral3d.com

Thank you!
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